Congruence, Construction, and Proof 6.10

Ready, Set, Go!



Ready

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Topic: Defining bisectors of angles and perpendicular bisectors.

1. Based on the meaning of "bisect", which means to split into two equal parts, what would it mean to bisect an angle? Describe in words and also provide visuals to communicate the meaning of angle bisector.

2. What does it mean if you have a perpendicular bisector of a line segment? Provide both written explanation and visual sketches to communicate the meaning of perpendicular bisector.

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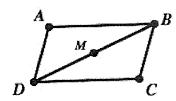
Topic: Use congruent triangle criteria and transformations to justify conjectures.

In each problem below there are some true statements listed. From these statements a conjecture (a guess) about what might be true has been made. Using the given statements and conjecture statement create an argument that justifies the conjecture.

3. True statements:

Point M is the midpoint of \overline{DB}

 $\angle ABD \cong \angle BDC$ $\overline{AB} \cong \overline{DC}$



Conjecture: $\angle A \cong \angle C$

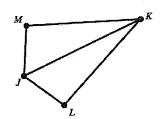
a. Is the conjecture correct?

b. Argument to prove you are right:

4. True statements

 $\angle KJL \cong \angle KJM$

 $\overline{JL} \cong \overline{JM}$



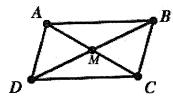
Conjecture: \overline{JK} bisects $\angle MKL$ a. Is the conjecture correct?

b. Argument to prove you are right:

5. True statements

 Δ *ADM* is a 180°

rotation of Δ *CMB*



Conjecture: $\Delta ABM \cong \Delta CDM$ a. Is the conjecture correct?

b. Argument to prove you are right:

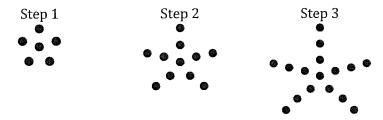
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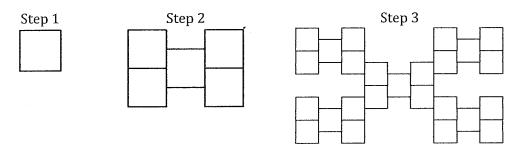
Go

Topic: Create both explicit and recursive rules for the visual patterns.

6. Find an explicit function rule and a recursive rule for dots in step n.



7. Find an explicit function rule and a recursive rule for squares in step *n*.



Find an explicit function rule and a recursive rule for the values in each table.

8.

Step	Value
1	1
2	11
3	21
4	31

9.

n	f(n)
2	16
3	8
4	4
5	2

10.

n	f(n)
1	-5
2	25
3	-125
4	625

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